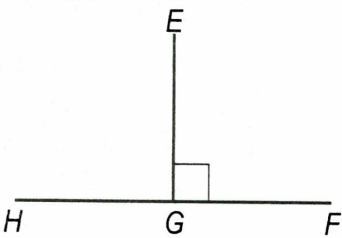
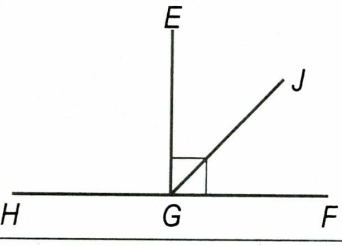
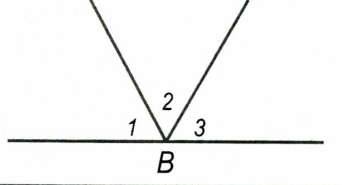
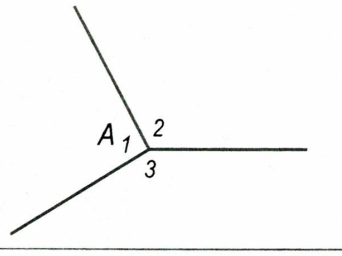
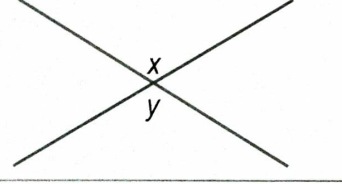
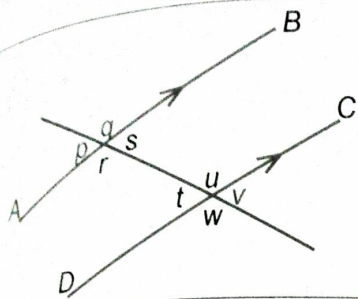


Definitions:**Adjacent supplementary angles:**adjacent angles which add up to 180° **Adjacent complementary angles:**adjacent angles which add up to 90° **Revolution:**a 360° angle**Transversal:**

line which cuts two lines

Straight lines

	EG is perpendicular to HF	$\hat{E}G\hat{F} = \hat{E}G\hat{H} = 90^\circ$ (given $EG \perp HF$)
	$\hat{J}G\hat{F}$ and $\hat{E}G\hat{J}$ are complementary	$\hat{E}G\hat{J} + \hat{J}G\hat{F} = 90^\circ$ (adj. compl. \angle 's)
	Adjacent angles on a straight line are supplementary	$\hat{B}_1 + \hat{B}_2 + \hat{B}_3 = 180^\circ$ (adj suppl \angle 's) Or $\hat{B}_1 + \hat{B}_2 + \hat{B}_3 = 180^\circ$ (\angle 's on a str line)
	Angles in a revolution add up to 360°	$\hat{A}_1 + \hat{A}_2 + \hat{A}_3 = 360^\circ$ (\angle 's in a rev) Or $\hat{A}_1 + \hat{A}_2 + \hat{A}_3 = 360^\circ$ (\angle 's around a pt)
	Vertically opposite angles are equal	$x = y$ (vert opp \angle 's)

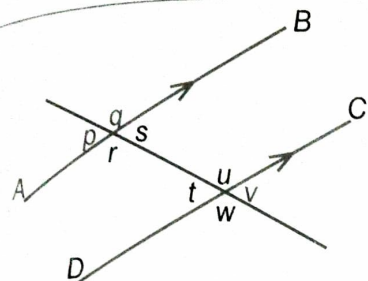


Two angles which lie on opposite sides of the transversal and between the parallel lines are equal. These are called **alternate angles**.

$$r = u \text{ (alt } \angle\text{'s; } AB \parallel DC\text{)}$$

and

$$s = t \text{ (alt } \angle\text{'s; } AB \parallel DC\text{)}$$



Two angles which lie on the same side of the transversal and the same side of the parallel lines are equal. These are called **corresponding angles**.

$$q = u \text{ (corres } \angle\text{'s; } AB \parallel DC\text{)}$$

and

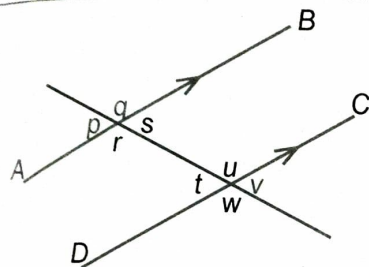
$$p = t \text{ (corres } \angle\text{'s; } AB \parallel DC\text{)}$$

and

$$r = w \text{ (corres } \angle\text{'s; } AB \parallel DC\text{)}$$

and

$$s = v \text{ (corres } \angle\text{'s; } AB \parallel DC\text{)}$$



Two angles which lie on the same side of the transversal and between the parallel lines are supplementary. These are called **co-interior angles**.

$$s + u = 180^\circ \text{ (co-int } \angle\text{'s; } AB \parallel DC\text{)}$$

and

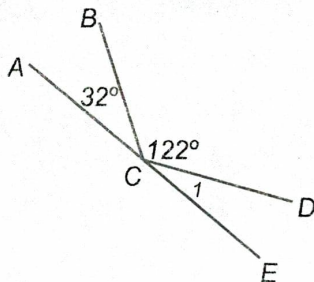
$$r + t = 180^\circ \text{ (co-int } \angle\text{'s; } AB \parallel DC\text{)}$$

NOTES:

- It is very important to give reasons for each theorem you use.
- Show all the necessary working.
- Learn all your theorems.

EXAMPLE 1:

ACE is a straight line, $\hat{A}CB = 32^\circ$ and $\hat{B}CD = 122^\circ$. Determine the size of \hat{C}_1 .



ANSWER

$$\hat{C}_1 + 32^\circ + 122^\circ = 180^\circ$$

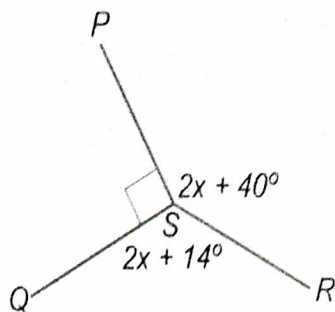
(\angle 's on a straight line)

$$\hat{C}_1 = 180^\circ - 122^\circ - 32^\circ$$

$$\hat{C}_1 = 26^\circ$$

EXAMPLE 2:

PS, SQ and SR meet at S and $\hat{P}\hat{S}Q = 90^\circ$. Determine the value of x .



ANSWER

$$2x + 40^\circ + 2x + 14^\circ + 90^\circ = 360^\circ \quad (\angle\text{'s around a pt})$$

$$4x + 144^\circ = 360^\circ$$

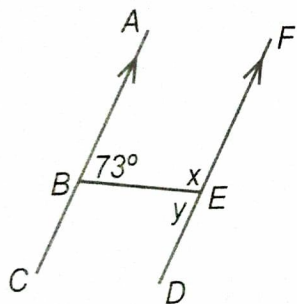
$$4x = 216^\circ$$

$$x = 54^\circ$$

EXAMPLE 3:

$AC \parallel FD$ and $\hat{A}\hat{B}E = 73^\circ$.

Determine the value of x and y .



If the question is set out like this you may work out x and y in any order.

However, if the question reads:

Determine the value of:

- x
- y

then you have to do x first and then y

ANSWER

$$73^\circ + x = 180^\circ$$

(co-int \angle 's; $AC \parallel FD$)

$$x = 107^\circ$$

$$y = 73^\circ$$

(alt \angle 's; $AC \parallel FD$)

OR

$$y + 107^\circ = 180^\circ$$

(\angle 's on a straight line)

$$y = 73^\circ$$

Your answer must follow a logical order:

Here is an example of correct answers in an illogical order:

If you worked out y first in this question you could not say:

$$y + 107^\circ = 180^\circ \quad (\angle\text{'s on a straight line})$$

$$y = 73^\circ$$

$$x = 107^\circ \quad (\text{co-int } \angle\text{'s; } AC \parallel FD)$$

You are using x to find y but work out y then x .

If you wanted to work out y first, the only logical way to do this is to find y using alternate angles and then x using co-interior angles or angles on a straight line.